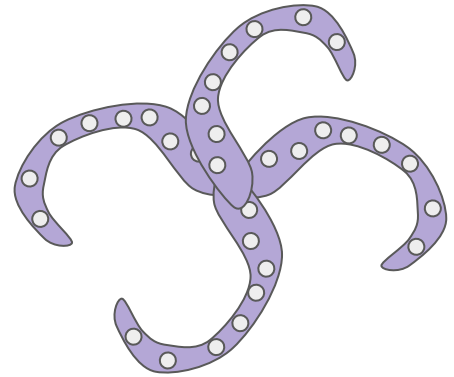


Exploring the Dynamics of Octopod Manipulation

Shuby Deshpande



> Background

> Models

> Simulation

> Questions

Background

Octopods

- > Exceptionally flexible, virtually infinite DOF!
- > Capable of stretching, contracting, folding over itself, rotating along its axis at any point, and following the contours of almost any object.
- > Muscles generate forces + maintain the structural rigidity of the appendage.



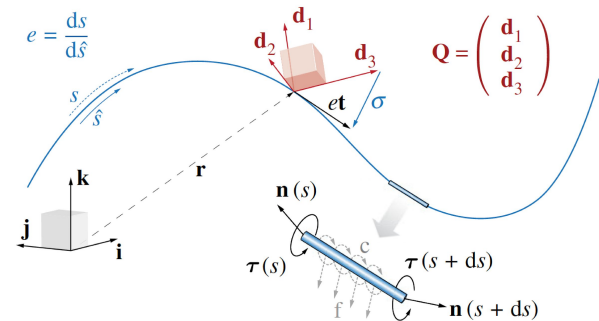
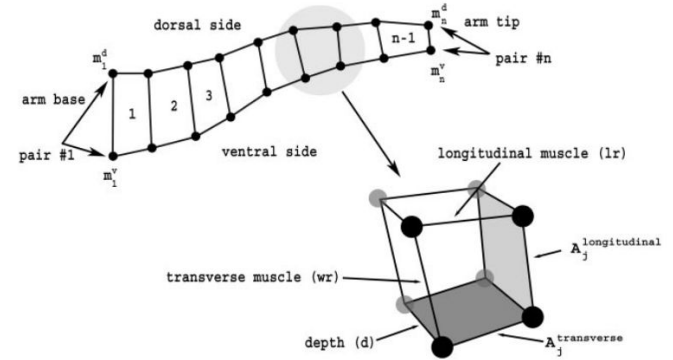
Background

Different Models

> Planar

> Hydraulic-like

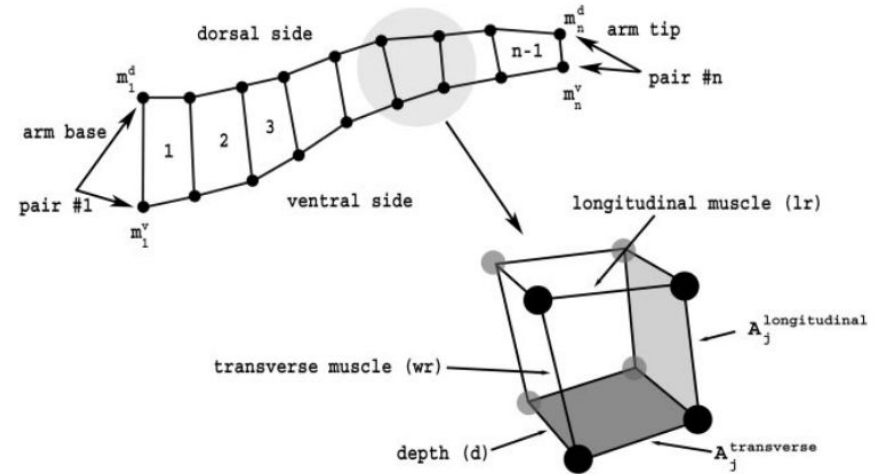
> Cosserat rods



Diagram

Assumptions:

- 1> Simulated movements are free movements (e.g. do not interact with objects)
- 2> Discrete model (for simplicity). 20 segments (model /w 40 segments made little difference)
- 3> All forces confined to a single plane



Credits: [2,3]

Forces

1> Internal forces from arm muscles

$$f^m$$

2> Vertical forces from gravity + arm buoyancy

$$f^g$$

3> Drag forces (from water)

$$f^w$$

4> Internal forces (constant volume constraints)

$$f^c$$

$$M\ddot{q} = f^m + f^g + f^w + f^c$$

M : mass matrix

q : position vector

Forces

Vertical forces from gravity + arm buoyancy

$$\mathbf{f}^g = (\rho_{arm} - \rho_{water}) V_{arm} \vec{g}$$

Archimedes Law

V : segment volumes

$$M\ddot{\mathbf{q}} = \mathbf{f}^m + \mathbf{f}^g + \mathbf{f}^w + \mathbf{f}^c$$

M : mass matrix

q : position vector

Drag forces (from water)

$$\|\vec{\mathbf{d}}_{per}\| = \frac{1}{2} \rho_{water} p_a c_{per} \|\vec{\mathbf{v}}_{per}\|^2$$

\rho : density

p_a : projected area of segment

$$\|\vec{\mathbf{d}}_{tan}\| = \frac{1}{2} \rho_{water} s_a c_{tan} \|\vec{\mathbf{v}}_{tan}\|^2$$

s_a : surface area of segment

v_per, v_tan : perpendicular, tangential directions of velocity

Forces

Internal forces (constant volume constraints)

$$f^c = Cp$$

$$p = (GM^{-1}C)^{-1}[\gamma - GM^{-1}(f^m + f^g + f^w)]$$

$$\ddot{q} = M^{-1}(f^m + f^g + f^w + f^c)$$

C : encodes constant volume constraint

p : compartmental pressures

$$M\ddot{q} = f^m + f^g + f^w + f^c$$

M : mass matrix

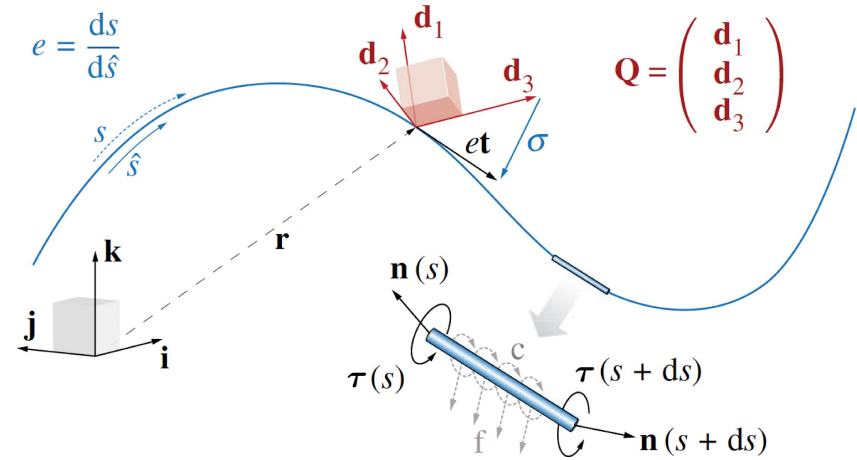
q : position vector

Model > Cosserat rods

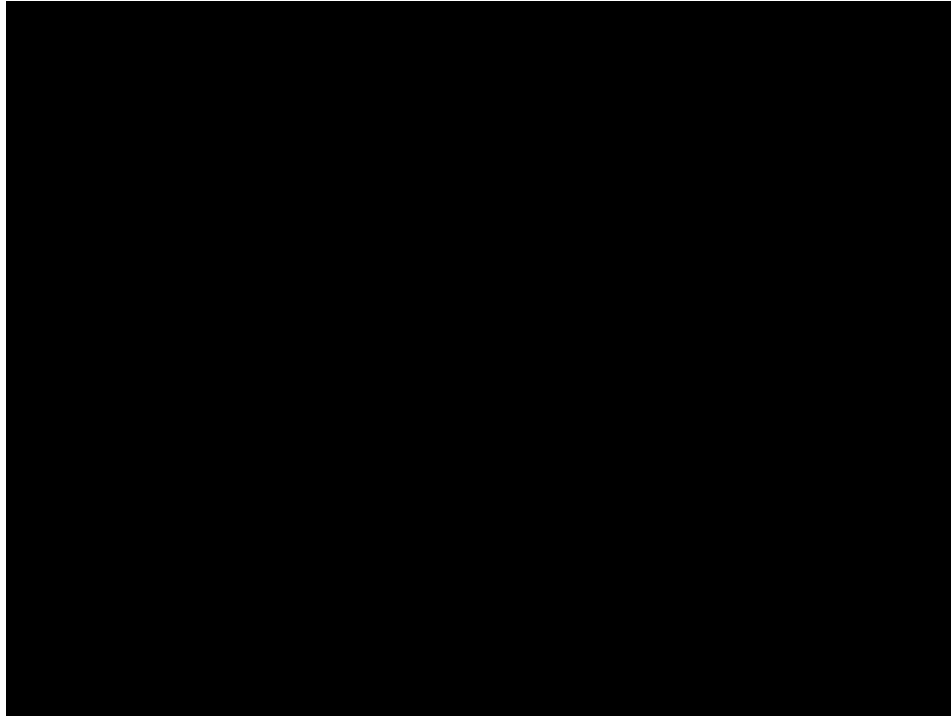
Diagram

Kirchoff rods model 1-D bend + twist

Cosserat rods are a generalization to account for stretch + shear



Credits: [4,5]



Code: <https://github.com/bhaprayan/octopie>

References

- [1] Yaakov Engel, Peter Szabo, and Dmitry Volkinshtein. “Learning to Control an Octopus Arm with Gaussian Process Temporal Difference Methods”. In: *Advances in Neural Information Processing Systems 18*(2005).
- [2] Yoram Yekutieli et al. “Dynamic Model of the Octopus Arm. I. Biomechanics of the Octopus Reaching Movement”. In: *Journal of Neurophysiology* 94 (Aug. 2005), pp. 1443–1458
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- [4] Zhang, Chan, Parthasarathy, Gazzola, Modeling and simulation of complex dynamic musculoskeletal architectures, *Nature Communications*, 2019. doi: 10.1038/s41467-019-12759-5
- [5] Gazzola, Dudte, McCormick, Mahadevan, Forward and inverse problems in the mechanics of soft filaments, *Royal Society Open Science*, 2018. doi: 10.1098/rsos.171628

Questions?

Thanks! :)